#### Division

#### **Problem Description**

In 2048, in the examination room of the 30<sup>th</sup> CSP certification, Xiaoming, as a contestant, opened the first question. The sample of this problem has n groups of data, numbered from 1 to n, and the scale of data i is a<sub>i</sub>.

Xiaoming designed a violent program for this problem. For a set of data of size u, the **running time** of the program is  $u^2$ . However, after the program has run a set of data of size u, it will run an error on any one set of data of size **less than** u. The  $a_i$  in the sample isn't necessarily incremented, but Xiaoming wants to run the example correctly without modifying the program, so he decides to use a very primitive solution: Divide all the data into segments with **contiguous** serial numbers, and then merge the data in the same segment into new data whose size is equal to **the sum of the sizes** of the original data in the segment. Xiaoming will let the size of the new data increase.

In other words, Ming needs to find some cut-off points  $1 \le k_1 < k_2 < ... < k_p < n$ , such that

$$\sum_{i=1}^{k_1}a_i\leq \sum_{i=k_1+1}^{k_2}a_i\leq \cdots\leq \sum_{i=k_p+1}^na_i$$

Note that p can be 0 and at that time,  $k_0 = 0$ , that is, Xiaoming can run all the data together.

Xiaoming wants the running time to be minimized while running the sample correctly, that is, to **minimize** 

$$(\sum_{i=1}^{k_1} a_i)^2 + (\sum_{i=k_1+1}^{k_2} a_i)^2 + \dots + (\sum_{i=k_p+1}^n a_i)^2$$

Xiaoming finds this problem very interesting and asks for your advice: Given n and a<sub>i</sub>, please find the minimum running time of Xiaoming's program under the optimal division scheme.

#### Input

# Due to the large data range of the question, a<sub>i</sub> of some test points will be generated in the program.

Two integers, n and type, are in the first line. See the program description for the meaning of n, and type denotes the type of input.

1. If type = 0, the  $a_i$  of the test point is **given directly**. The following input file: n space-separated integers  $a_i$  in the second line, indicating the size of each group of data.

2. If type = 1,  $a_i$  for this test point will be **specially generated**, as described below. The following input file: Six space-separated integers x, y, z, b<sub>1</sub>, b<sub>2</sub>, m in the second line. In the next m lines, line i  $(1 \le i \le m)$  contains three space-separated positive integers  $p_i$ ,  $l_i$ ,  $r_i$ .

For test points  $23 \sim 25$  with type = 1,  $a_i$  is generated as follows:

Given integers x, y, z,  $b_1$ ,  $b_2$ , m, and m triples ( $p_i$ ,  $l_i$ ,  $r_i$ ).

Guarantee  $n \ge 2$ . If n > 2, then  $\forall 3 \le i \le n$ ,  $b_i = (x \times b_{i-1} + y \times b_{i-2} + z) \mod 2^{30}$ .

Ensure that  $1 \le p_i \le n$  and  $p_m = n$ . Let  $p_0 = 0$ , then  $p_i$  also satisfies that  $\forall 0 \le i < m$  has  $p_i < p_{i+1}$ .

For all  $1 \le j \le m$ , if the subscript value i  $(1 \le i \le n)$  satisfies  $p_{j-1} < i \le p_j$ , then there is

 $a_i = (bi \mod(r_j - l_j + 1)) + l_j$ 

The above data generation method is only used to reduce the size of the input. Standard algorithms do not rely on this generation method.

## Output

Output one line with one integer, indicating the answer.

**Sample Input 1** 5 0 5 1 7 9 9

Sample Output 1 247

Sample Input 2 10 0 5 6 7 7 4 6 2 13 19 9

Sample Output 2 1256

## Sample Input 3

10000000 1 123 456 789 12345 6789 3 2000000 123456789 987654321 7000000 234567891 876543219 10000000 456789123 567891234

## Sample Output 3

4972194419293431240859891640

# Hint

# [Explanation of Sample 1]

The optimal division scheme is  $\{5,1\}$ ,  $\{7\}$ ,  $\{9\}$ ,  $\{9\}$ ,  $5+1 \le 7 \le 9 \le 9$ , so the scheme is legal.

The answer is  $(5 + 1)^2 + 7^2 + 9^2 + 9^2 = 247$ .

Although the division scheme  $\{5\}$ ,  $\{1\}$ ,  $\{7\}$ ,  $\{9\}$ ,  $\{9\}$  corresponds to a smaller running time than 247, it is not a set of legal schemes because 5 > 1.

Although the division scheme  $\{5\}$ ,  $\{1,7\}$ ,  $\{9\}$ ,  $\{9\}$  is legal, the corresponding running time of this scheme is 251, which is larger than 247.

# [Explanation of Sample 2]

The optimal division scheme is {5}, {6}, {7}, {7}, {4,6,2}, {13}, {19,9}.

# [Data Range]

Test Point	n≤	$a_i \leq$	type=
1~3	10	10	0
4~6	50	10 <sup>3</sup>	0
7~9	400	104	0
10~16	5000	105	0
17~22	5×10 <sup>5</sup>	$10^{6}$	0
23~25	4×10 <sup>7</sup>	109	1

For all the test points with type=0, make sure the final output answer  $\leq 4 \times 10^{18}$ 

All the test points satisfy: type  $\in \{0,1\}, 2 \le n \le 4 \times 10^7, 1 \le a_i \le 10^9, 1 \le m \le 10^5, 1 \le l_i \le r_i \le 10^9, 0 \le x, y, z, b_1, b_2, < 2^{30}.$